

Mechanical & Industrial Engineering UNIVERSITY OF TORONTO



CORE CONCEPTS

Digital twins are real-time digital replicas of physical systems that enable predictive maintenance, performance optimization, and lifecycle management.

Finite element analyses (FEA) are accurate but computationally prohibitive for real-time digital twins of large systems.

Reduced-order models (ROMs) balance computational efficiency and predictive accuracy.

MOTIVATION

Eclectic vehicle (EV) battery packs with large prismatic cells might exhibit significant inter- and intra-cell spatio-temporal temperature gradients, accelerating battery degradation.

Effective digital twins of EV battery packs are paramount for real-time predictions and optimal thermal and electrical performance.

GOAL

This work proposes a novel approach to modelling the thermo-electrical performance of liquid-cooled EV battery packs with prismatic cells using a hierarchical ROM framework.

The framework is highly iterative, with experiments and results at lower levels of the hierarchy informing design and modelling decisions at higher levels.











Digital Twin for Liquid-Cooled Electric Vehicle Battery Packs with Prismatic Lithium Iron Phosphate Cells: A Combined Numerical-Experimental Hierarchical Approach

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HIERARCHICHAL METHODOLOGY

REDUCED-ORDER NUMERICAL MODELLING

Energy Equation $mC_p \frac{T^{t+\Delta t} - T^t}{\Delta t} = \sum_{i=x,y,z} \left(\frac{T_{i+} - T}{R_{i+}} + \frac{T_{i-} - T}{R_{i-}} \right)$ $+\dot{q}\mathrm{Vol}+C_f\dot{m}(T_{i-}-T)$ **Thermal Conductivity Heat Capacity Thermal Resistance** $k_\parallel = rac{\sum_i d_i k_i}{\sum_i d_i}$ $R_i = rac{L_i}{k_i \cdot A_i} \quad ext{for} \ i = x,y,z$ $ho c_p = rac{\sum_i
ho_i c_{p,i} d_i}{\sum_i d_i}$

Equation For Thermal Network

 $\mathbf{T}(t+\Delta t) = \mathbf{T}(t) + rac{\Delta t}{mC_n} (\mathbf{KT}(t) + \mathbf{Q})$

EXPERIMENTAL SETUP

Thermocouples **Industrial Chiller** Flow Control **Temperature Control**

Baseline battery module with 4 prismatic cells, a cold plate, and cooling fluid.

Heat generation is calculated from the input current and voltage data.

 $Q_{gen}(t) = |I(t) \cdot (V_t(t) - V_{oc}(SOC))|$

Transient temperature data is collected to validate models.





Computational Efficiency

Temperature gradient	Model	Degrees of freedom	$\begin{array}{c} \textbf{Time to} \\ \textbf{compute for} \\ T_{sim} = 7200 \\ \textbf{seconds} \end{array}$
33.6 33.6 34.6 34.6 34.6 34.3 33.0 33.6 34.6 34.6 34.6 34.6 34.6 34.6 34.6	Thermal network	3x4x3 isothermal elements (36 total)	0.4 seconds
37 366 361 352 Goog anguage 347 347 347 334 334 329 225	Thermal network	10x10x9 isothermal elements (900 total)	1.7 seconds
y y y y y y y y y y	FEA model	6943 finite elements	221 seconds

ROM predictions closely match experimental results and are significantly faster than FEA-based models.

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